

Use auxiliary state to express modular structure

Grand Challenge Workshop in Software Verification (ETAPS'05)

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Outline

- ◆ Java-like programs are good challenge
- ✓ use auxiliary state to represent modular structure and reasoning discipline
- ◆ coupled tools: static analysis checks side conditions on rules for modular reasoning
- ◆ possible challenge codes and specifications

Java: good point in lang. des. space

- ✗ not theoretically elegant; words: “method”, “this”
- ✓ express higher order design patterns (e.g., map/visitor)
- ✓ “defunctionalized”—simple adequate semantic models
- ✓ other semantic complexity absent: aliased vars/params, reference to locals in enclosing scope; method update
- ✗ use of (module scoped) globals, **shared objects (heap)**, even reflection
- ✓ nominal typing: convenient hook for specs and rules

Modular reasoning—naive view

Package collects interrelated classes (unit of scope).

Class instances provide some **abstraction**, maintaining state invariants (**visible** and **internal**, e.g., Subject has **set of registered Views**, **stored in an array**) .

Method specification describes operation in terms of the abstraction.

Method implementation **uses** other abstractions and is **verified with respect to their specifications**, using the internal invariant.

Challenge: non-heirarchical control

Method specification describes operation in terms of abstraction that involves upcalls to clients (e.g., sensor with *set* of views; when $\text{sensor} \geq o.\text{thresh}$, remove o from view set and notify o)

Heirarchical layering is violated: reentrant callback —e.g., notified view **queries the sensor value (ok)** or **enumerates the view set (ouch!)**.

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Broken internal invariant: array contains those views for which threshold not met.

Subject and View both abstract w.r.t. the other.

Non-heirarchical control—solutions?

- ✗ Establish invariant before every method call.
- ✗ Temporal specification of allowed calling pattern.
- ✗ Use locks to prevent reentrance.
- ✓ Precondition—e.g, for the enumerate method: notify not in progress, or, invariant is in force.

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$\{\mathcal{I}(snsr)\}$ `snsr.enum()`, $\{\neg\mathcal{I}(snsr)\}$ `view.notify(snsr)`

Hiding info about \mathcal{I} : typestate [DeLine,Fähndrich], opaque predicate [Parkinson&Bierman,Birkedal&Torp-Smith], (observationally) pure methods, [auxiliary field](#) [Leino et al,Müller].

Ghost (auxiliary) field: $inv : \{\text{mut}, \text{valid}, \text{cmtd}\} := \text{mut}$

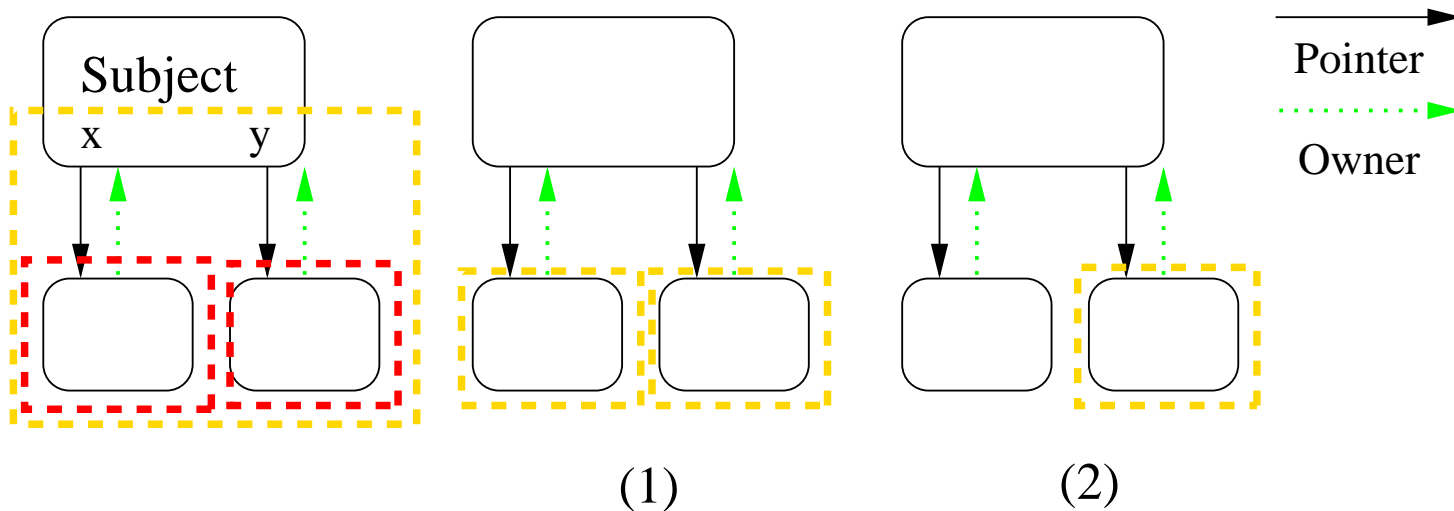
Program invariant: $(\forall o \mid o.inv = \text{mut} \vee \mathcal{I}(o))$

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Protocol to control crossing of encapsulation boundaries:

assert(self.inv= valid); unpack self; (1) unpack x; (2)



Challenge: sharing and encapsulation

Encapsulation by lexical scope: if field f is local to class K and the invariant, \mathcal{I}_K , of K depends only on f then the invariant is maintained by all commands outside class K .

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Frame Rule:
$$\frac{\{P\} c \{Q\} \quad c \text{ does not interfere with } \mathcal{I}}{\{P \wedge \mathcal{I}\} c \{Q \wedge \mathcal{I}\}}$$

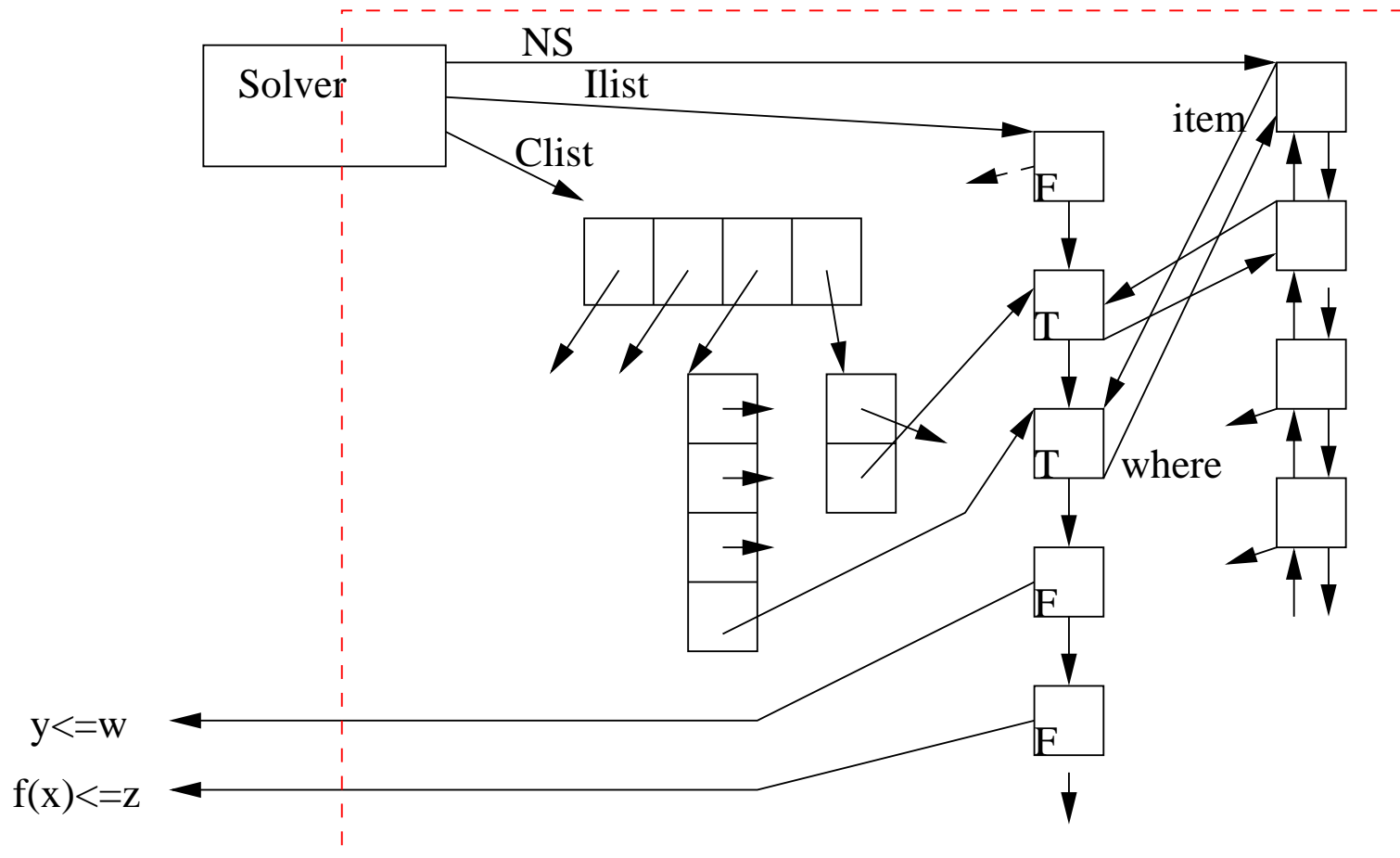
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If \mathcal{I} depends on heap objects, use separation:

$$\frac{\{P\} m \{Q\} \vdash \{P'\} c \{Q'\}}{\{P * \mathcal{I}\} \text{body}_m \{Q * \mathcal{I}\} \vdash \{P' * \mathcal{I}\} c \{Q' * \mathcal{I}\}}$$



$$\mathcal{I}_{\text{Subject}} : \forall p \in \text{NS.next}^* \cdot (p.\text{next} = \text{null} \vee p.\text{next}.\text{prev} = p) \\ \wedge (p.\text{item} \in \text{Ilist.next}^*) \wedge (\exists x, j \cdot \text{Clist}[x][j] = p.\text{item}) \dots$$

Object ownership

Ownership types [Clarke,Aldrich,Boyapati,...]: static ownership forest, constrain existence of references.

Ownership in **ghost field** [Leino,...]: stateful discipline to control **use** of references (previous slide; cf. locks).

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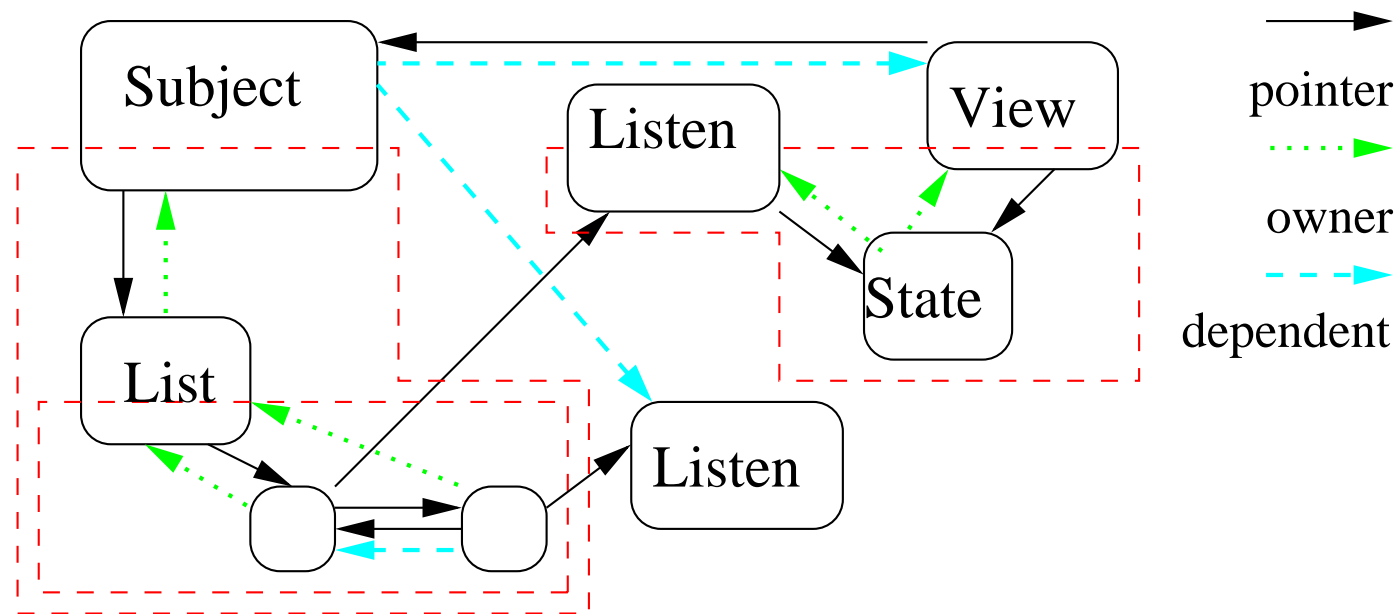
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Challenges:

- ◆ Shared ownership, e.g., iterators.
- ◆ Transfer, e.g., task queues (between); lexer/stream, AST (into); database connections, malloc/free (in and out).
- ◆ Objects decompose: inherited fields, “future” subclasses.

Challenge: cooperative sharing



$\mathcal{I}_{\text{Node}}$: $\text{next} = \text{null} \vee \text{next.prev} = \text{self}$

$\mathcal{I}_{\text{View}}$: $\text{subj.vsn} = \text{version} \Rightarrow \text{cache} = \text{s.val}$

Friendship discipline

Ghost field: $\text{deps} : \mathbf{\text{set of Object}} := \emptyset$

Obligation (absence of interference, as a precondition):

$\{ \neg p.\text{inv} \wedge (\forall o \mid o \in p.\text{deps} \Rightarrow \neg o.\text{inv} \vee \underline{\mathcal{I}_C(o)[E/p.f]}) \}$

$p.f := E$

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*Admissibility: when $\mathcal{I}_C(o)$ depends on $p.f$ then either $o = p$,
 o transitively owns p , or $o \in p.\text{deps}$*

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Abstract $\mathcal{I}_C(o)[E/p.f]$ as declared “update guard” $\mathcal{U}(o, p, E)$.

Obligation: $\{\mathcal{I}_C(\text{self}) \wedge \mathcal{U}(\text{self}, g, \text{val})\}$ $\text{self.g.f} := \text{val} \{\mathcal{I}_C(\text{self})\}$

Design/Verification Patterns

Specialized discipline for global invar. from local obligations.
Encap. from first-order assertions with auxiliary fields.

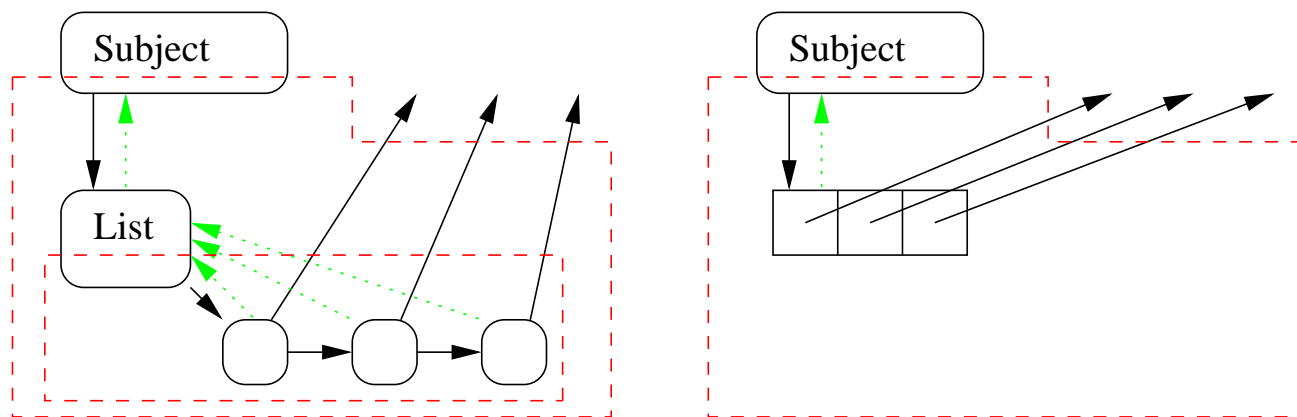
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- ◆ automatic: check its application

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- ◆ automatic: check its application

Encapsulation for two-state invariants too [B&N ECOOP'05]:



Theory challenges

- ◆ encapsulation disciplines: cooperative **sharing** and separation— how much farther can we go using auxiliary state and standard logic?
- ◆ foundational logic for JML, encompassing concurrency, encapsulation disciplines (auxiliary state and scopes), behavioral subtyping
- ◆ why are heap regions second class? sep. log. needs quantification over predicates; why not *expressions* describing regions? [Aldrich domains/permissions; precise predicates for h.o. frame rule]
- ◆ specify the Observer and Visitor patterns (first order)

Challenge code: ad hoc net application

- ◆ small code and persistent state
- ◆ little legacy, development using disciplined language
- ◆ correctness is critical
- ◆ open, extensible systems: focus on resources/access
[Verificard, MRG, Chander et al ESOP]

Correctness of **closed** system: just beyond current technology?

Open and rapidly evolving system: 5–10 year time frame?

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Susanne Wetzel—Bluetooth, sensors for physical therapy

Selected related work

- ◆ Clarke; Aldrich; Boyapati: owner. types [OOPSLA02, ECOOP04, ...]
- ◆ Leino, Müller, et al: ghost owner, etc. [JoT, ECOOP04, CASSIS04, ...]
- ◆ Pierik and de Boer: full logic and mechanization
- ◆ O'Hearn, Yang, Reynolds [POPL04]; Mijajlović et al [FSTTCS04]: static modularity for separation logic;
- ◆ Parkinson&Bierman [POPL05]: opaque predicate definition; Birkedal, Torp-Smith [ESOP05]: higher order separation logic
- ◆ DeLine, Fähndrich [Fugue]: opaque pre/post, static analysis
- ◆ Barnett et al; Weirich: info flow analysis for static encapsulation [FASE05, ICFP?]

```

class Master {
  time: int; invariant  $0 \leq \text{time}$ ; friend Clock reads time;
  tick(n: int){ assert  $\text{inv} = \text{valid} \wedge 0 \leq n$  ;
                unpack self; time += n; pack self;
                assert  $\text{time} \geq \text{Old}(\text{time})$ ; }
  connect(c: Clock){ assert  $\text{inv} = \text{valid}$ ;
                    unpack self; attach c; pack self;
                    assert  $c \in \text{self.deps}$ ; } }

class Clock {
  t: int; m: Master; invariant  $m \neq \text{null} \wedge 0 \leq t \leq m.\text{time}$ ;
                  guard  $m.\text{time} := \alpha$  by  $m.\text{time} \leq \alpha$ ;
  Clock(mast: Master) { assert  $\text{mast} \neq \text{null} \wedge \text{mast}.\text{inv} = \text{valid}$ ;
                      m:=mast; m.connect(self); t:=m.time; } }

```